

Modeling Edge Absorbers for Room Acoustics with *openCFS*

Florian Kraxberger^{1,*}

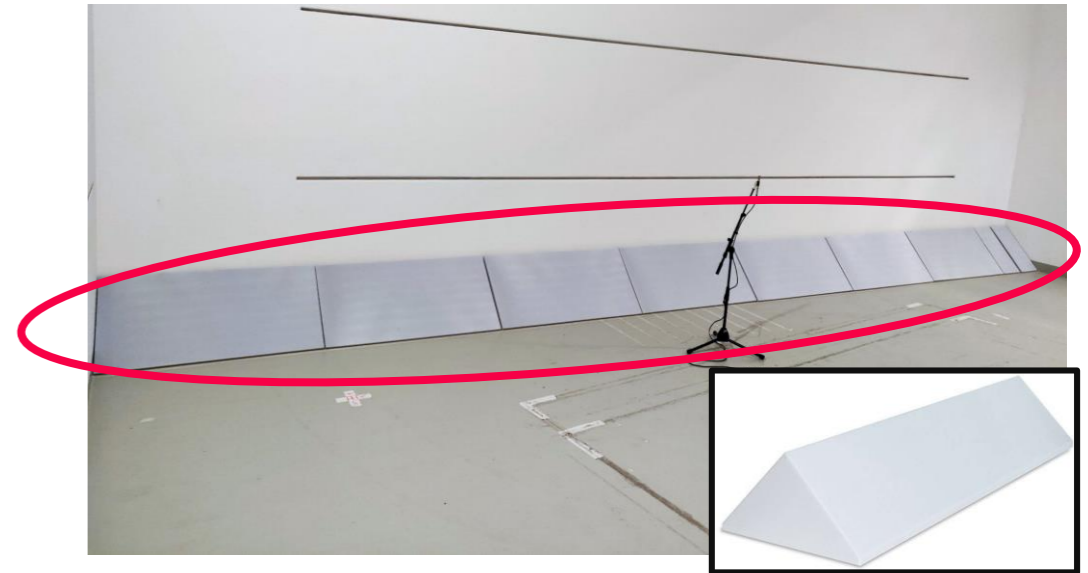
¹ Institut für Grundlagen und Theorie der Elektrotechnik (IGTE), TU Graz

* E-Mail: kraxberger@tugraz.at

openCFS User Meeting | 09.04.2026 | TU Graz

Motivation

- Edge Absorbers (EA)
 - Porous material mounted in the edge of a room
 - Good absorption at low frequencies
- But how does the EA work?
 - Literature rather application-centric [4]
 - Preliminary systematic investigations [5]
- Approach:
 - Simulate an empty room
 - Simulate a room with EA
- Goal: Understand the underlying principles of EA by Finite Element simulations



R. Hofer: *Analyse des modalen Schallfeldes zur Untersuchung der Funktionsweise von Kantenabsorbern*, Master's thesis, TU Graz, Fig. 3.19

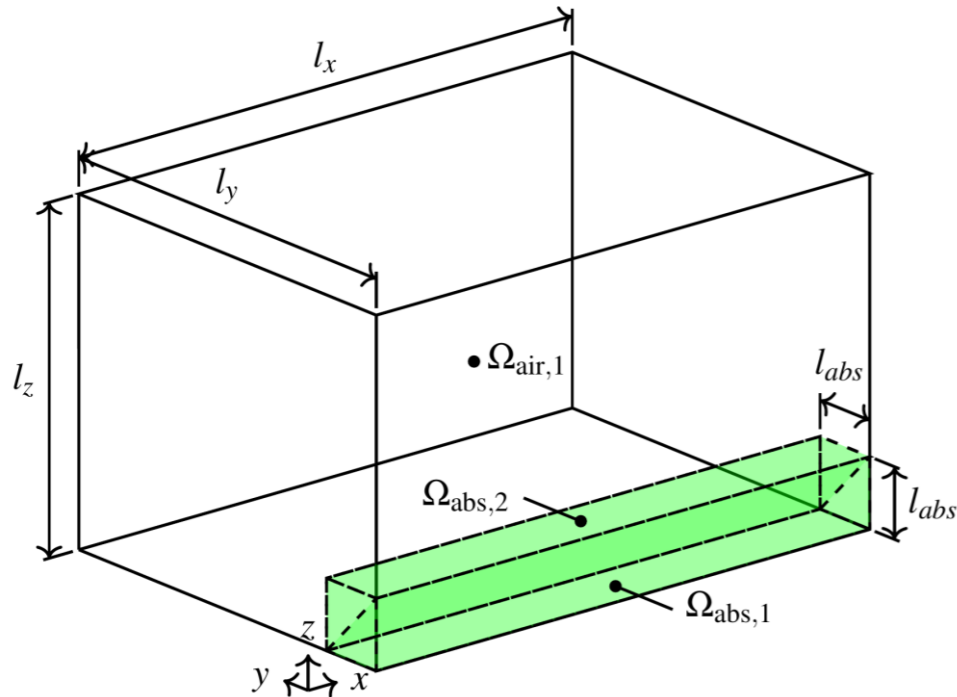
[1] Fuchs et al.: Covered broadband absorbers improving functional acoustics in communication rooms, *Applied Acoustics* 74.1 (2013), pp. 18–27

[2] Kurz et al.: Systematische Untersuchungen zur Funktionsweise des Kantenabsorbers als “Modenbremse”, *Elektrotech. Inf.* 138(3):162–170 (2021)

Content

1. Geometry & Simulation Model
2. Validation Procedure
3. Field Results
4. Conclusion & Outlook

Geometry & Mesh

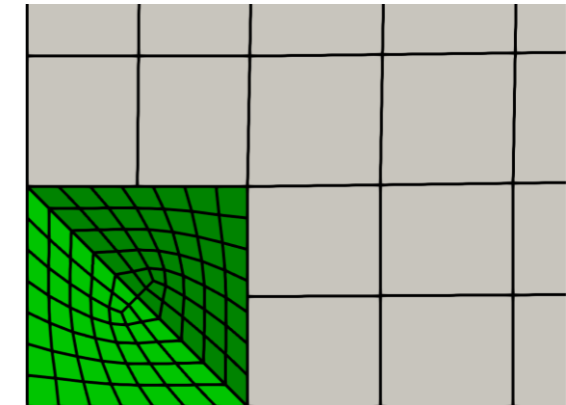


Room Dimensions

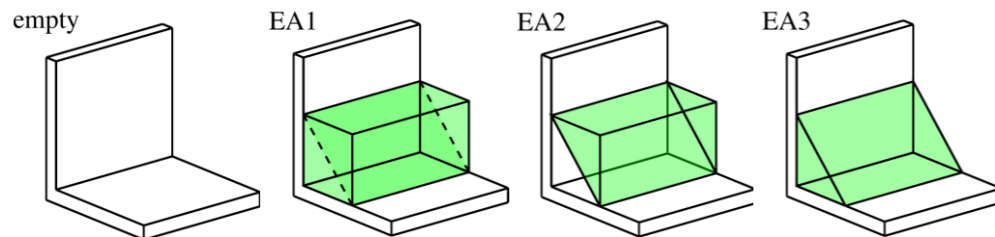
- $l_x = 8.34 \text{ m}$
- $l_y = 5.99 \text{ m}$
- $l_z = 4.90 \text{ m}$
- $V = 244.79 \text{ m}^3$
- $S = 240.35 \text{ m}^2$
- $l_{abs} = 0.4 \text{ m}$

Mesh Specifications

- nonconforming mesh: Nitsche-type mortaring
- elem. size $\Omega_{air} : 0.25 \text{ m}$
- elem. size $\Omega_{abs} : 0.06 \text{ m}$
- elem. size: $\lambda/6$ at $f = 200 \text{ Hz}$
- 2nd order Lagrangian elements



4 EA Configurations



[3] M. Kaltenbacher and S. Floss. "Nonconforming Finite Elements Based on Nitsche-Type Mortaring for Inhomogeneous Wave Equation". In: *Journal of Theoretical and Computational Acoustics* 26.03 (2018), p. 1850028

Simulation Model: Helmholtz Equation with Equivalent Fluid Model

$$\frac{\omega^2}{K(\omega, \vec{x})} p(\omega, \vec{x}) + \nabla \cdot \left(\frac{1}{\rho(\omega, \vec{x})} \nabla p(\omega, \vec{x}) \right) = 0 \quad \text{for } \vec{x} \in \Omega,$$

Dirichlet BC: $p = 1 \text{ Pa}$ for $\vec{x} = \vec{x}_{\text{src}}$,

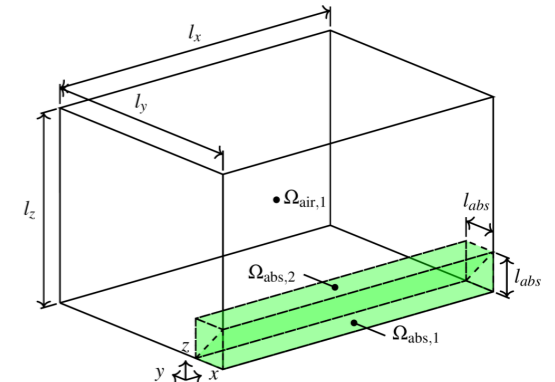
Neumann BC: $\nabla p \cdot \vec{n} = 0$ for $\vec{x} \in \partial\Omega$

- Excitation: Dirichlet boundary condition (point source)
- Sound-hard walls: homogeneous Neumann boundary condition
- Speed of sound $c = \sqrt{K/\rho}$

$$\rho(\vec{x}, \omega) = \begin{cases} \rho_0 & \text{for } \vec{x} \in \Omega_{\text{air}} \\ \rho_{\text{abs}}(\omega) & \text{for } \vec{x} \in \Omega_{\text{abs}} \end{cases}; \quad K(\vec{x}, \omega) = \begin{cases} K_0 & \text{for } \vec{x} \in \Omega_{\text{air}} \\ K_{\text{abs}}(\omega) & \text{for } \vec{x} \in \Omega_{\text{abs}} \end{cases}$$

- Material model for $K_{\text{abs}}(\omega)$ and $\rho_{\text{abs}}(\omega) \rightarrow$ **JCAL-Model**
- Helmholtz-Equation is solved using **Finite Element Method** (openCFS)

ω ... angular frequency
 p ... acoustic pressure
 K ... bulk modulus of air/abs.
 ρ ... density of air/absorber
 \vec{x} ... point in space



$\rho_0 = 1.2305 \text{ kg/m}^3$
 $K_0 = 141855 \text{ Pa}$
 $T_0 = 13.5^\circ \text{C}$

Simulation Model: JCAL-Model for Porous Materials

Viscous effects:
$$\rho_{\text{abs}}(\omega) = \frac{\alpha_{\infty} \rho_{\text{air}}}{\phi} \left[1 + \frac{\sigma \phi}{j\omega \rho_{\text{air}} \alpha_{\infty}} \sqrt{1 + j \frac{4\alpha_{\infty}^2 \eta_0 \rho_{\text{air}} \omega}{\sigma^2 \Lambda^2 \phi^2}} \right]$$

Thermal effects:
$$K_{\text{abs}}(\omega) = \frac{\gamma p_0 / \phi}{\gamma - (\gamma - 1) \left[1 - j \frac{\phi \kappa}{k'_0 C_p \rho_{\text{air}} \omega} \sqrt{1 + j \frac{4k'_0{}^2 C_p \rho_{\text{air}} \omega}{\kappa \Lambda'^2 \phi^2}} \right]^{-1}}$$

6 JCAL-Parameters:

- ϕ ... open porosity
- σ ... static airflow resistance
- α_{∞} ... high-frequency limit of the tortuosity
- Λ ... viscous characteristic length
- Λ' ... thermal characteristic length
- k'_0 ... static thermal permeability

→ unknown

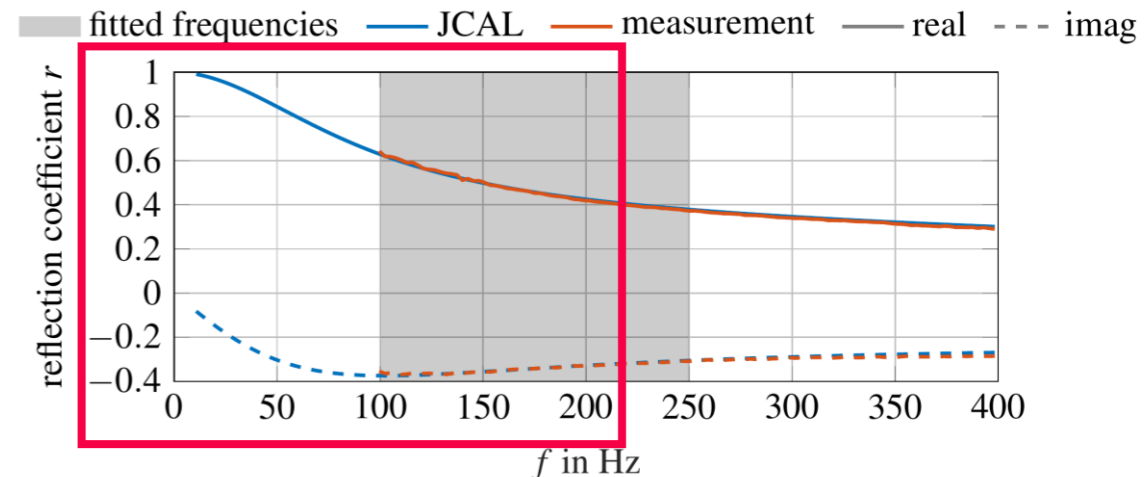
Fitting to impedance tube measurements [4,5]

Parameters of air

- $\eta_0 = 18.232 \cdot 10^{-6}$ kg/(m · s)... dynamic viscosity
- $\kappa = 25.684 \cdot 10^{-3}$ W/(m · K)... thermal conductivity
- $\gamma = 1.4$... isentropic exponent
- $p_0 = 100325$ Pa... ambient air pressure
- $C_p = 1006.825$ J/(kg K)... specific heat of air at constant pressure

→ known

[4] S. Floss, F. Czwielong, M. Kaltenbacher, and S. Becker. "Design of an in-duct micro-perforated panel absorber for axial fan noise attenuation". In: *Acta Acustica* 5 (2021) 24
 [5] F. Kraxberger, E. Kurz, W. Weselak, G. Kubin, M. Kaltenbacher, and S. Schoder. "A validated finite element model for room acoustic treatments with edge absorbers". In: *Acta Acustica* 7 (2023) 48



Material Model in *openCFS*: material.xml (excerpt)

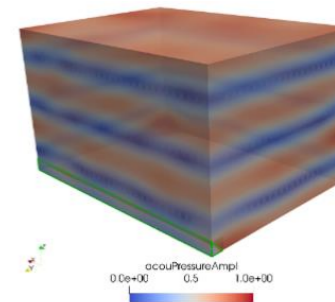
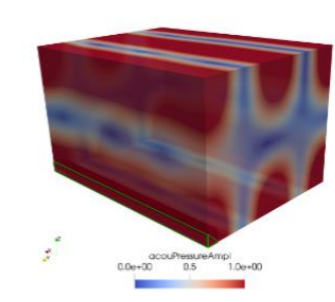
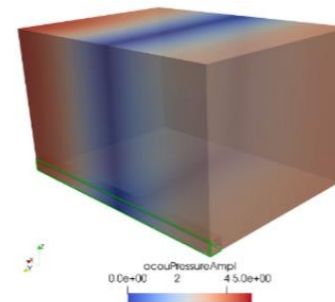
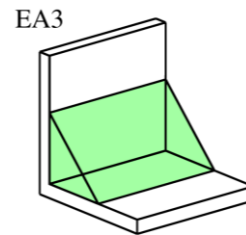
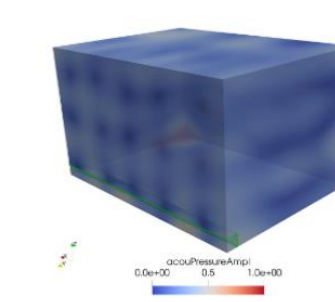
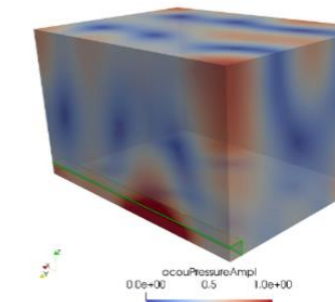
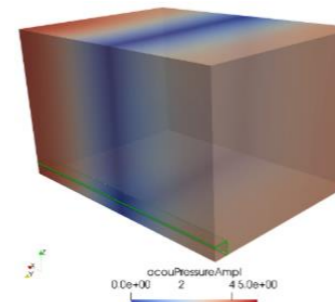
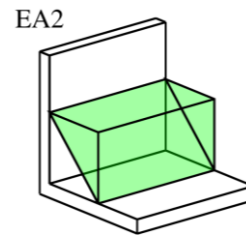
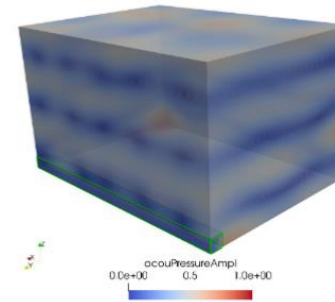
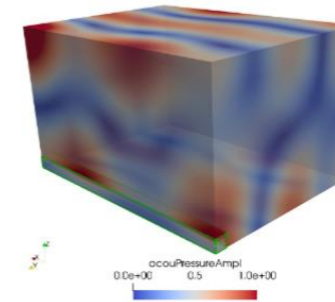
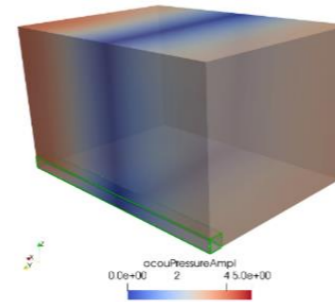
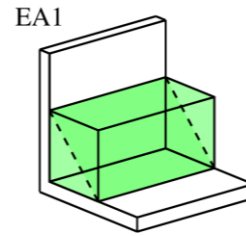
```
<cfsMaterialDataBase>
...
<material name="PorousMaterial">
  <acoustic>
    <density>
      <linear>
        <real> sample1D('/path/to/Basotect_JCAL_rho_RE.txt',f,1) </real>
        <imag> sample1D('/path/to/Basotect_JCAL_rho_IM.txt',f,1) </imag>
      </linear>
    </density>
    <compressionModulus>
      <linear>
        <real> sample1D('/path/to/Basotect_JCAL_K_RE.txt',f,1) </real>
        <imag> sample1D('/path/to/Basotect_JCAL_K_IM.txt',f,1) </imag>
      </linear>
    </compressionModulus>
  </acoustic>
</material>
...
</cfsMaterialDataBase>
```

Material Model in *openCFS*: simulation.xml (excerpt)

```
<cfsSimulation>
<domain geometryType="3d">
  <regionList>
    <region name="V_mat" material="PorousMaterial" />
    ...
  </regionList>
</domain>
...
<sequenceStep index="1">
  <pdeList>
    <acoustic >
      <regionList>
        <region name="V_mat" complexFluid="yes"/>
        ...
      </regionList>
      ...
    </acoustic>
  </pdeList>
</sequenceStep>
</cfsSimulation>
```

Field Results: Pressure

- EA influences the modal pressure field
 - Mode shape is distorted
 - Modal amplitude is reduced
- EA1 and EA2 distort the modal field
- EA3 can not achieve a similar distortion/damping



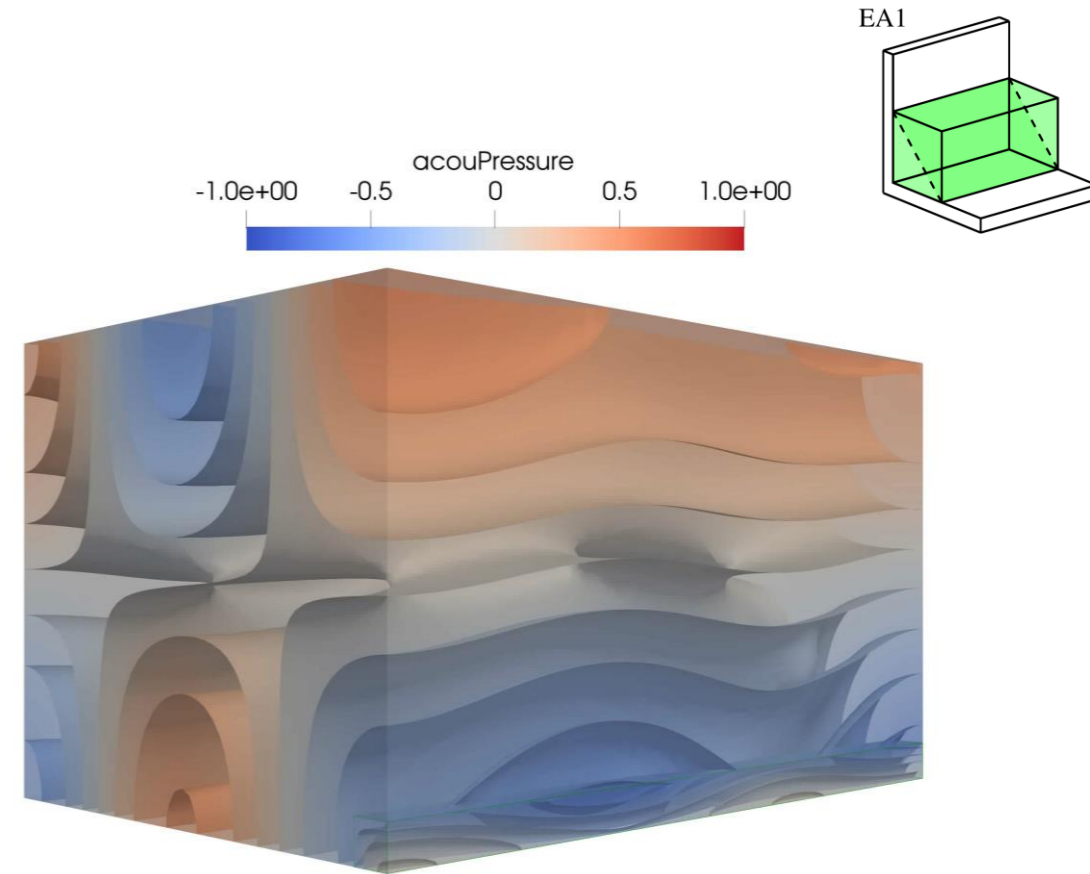
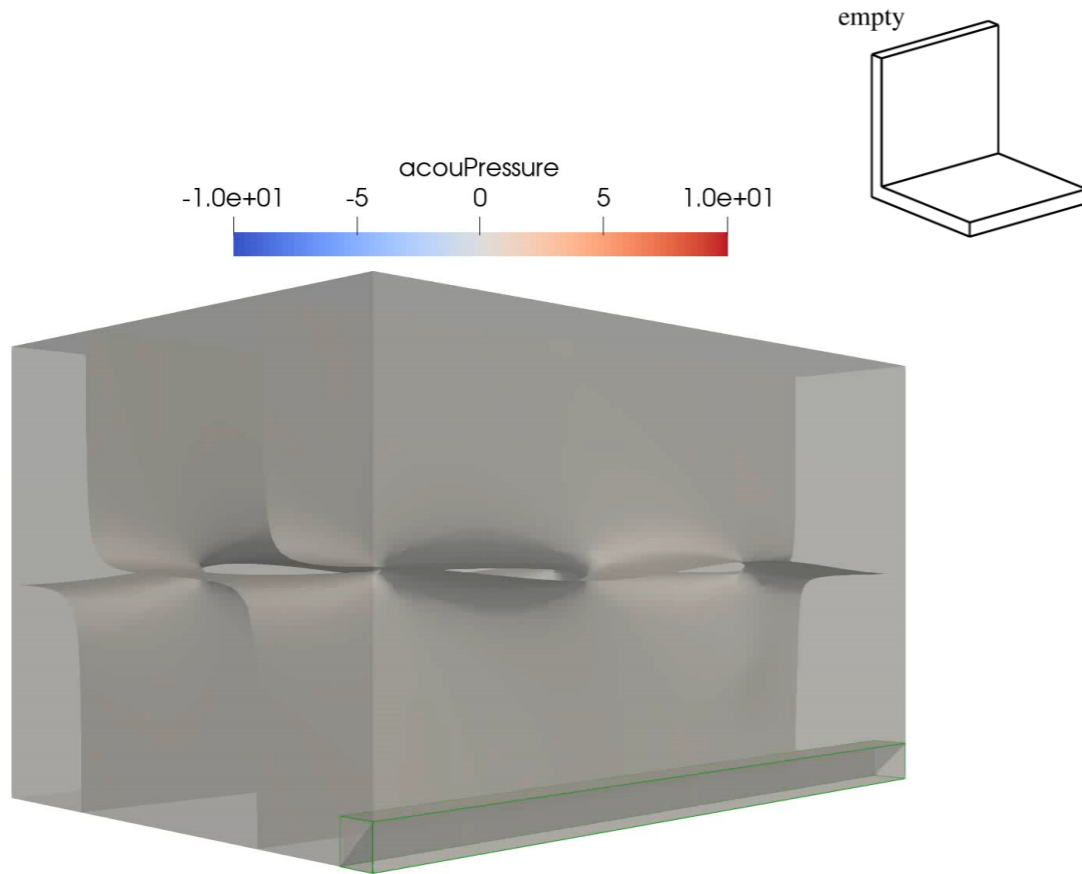
(a) (1, 0, 0)-mode at $f = 21.5$ Hz

(b) (0, 2, 1)-mode at $f = 66.5$ Hz

(c) (0, 0, 3)-mode at $f = 104.0$ Hz

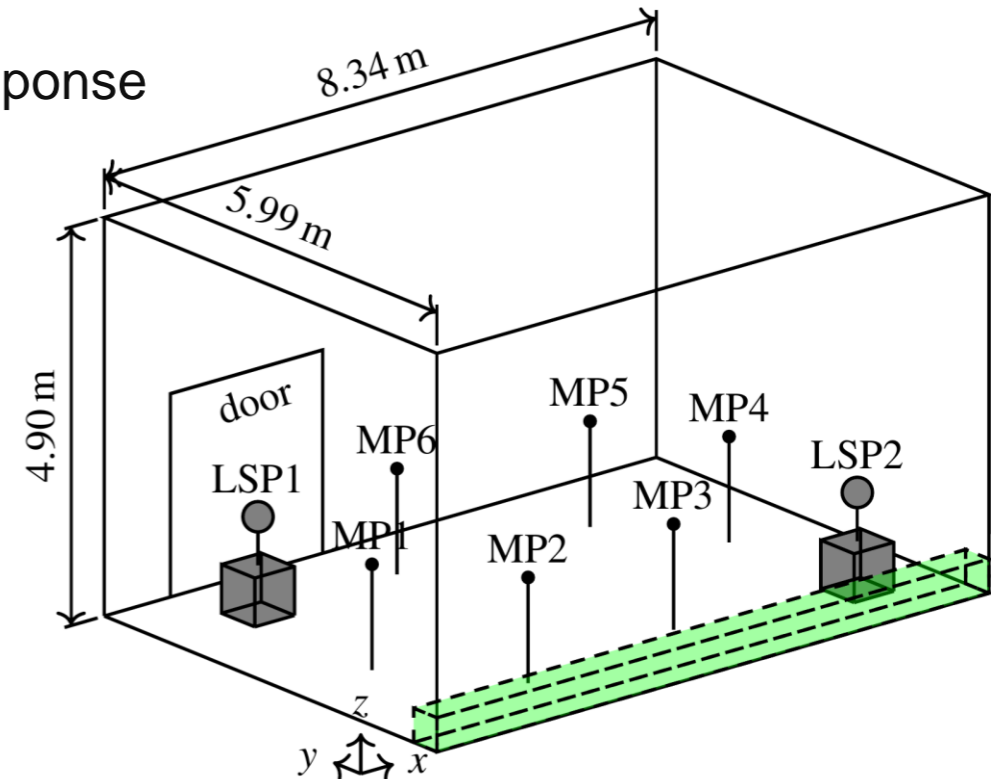
Field Results: Pressure at 66.5 Hz

Animation of isosurfaces of acoustic pressure (modal result)



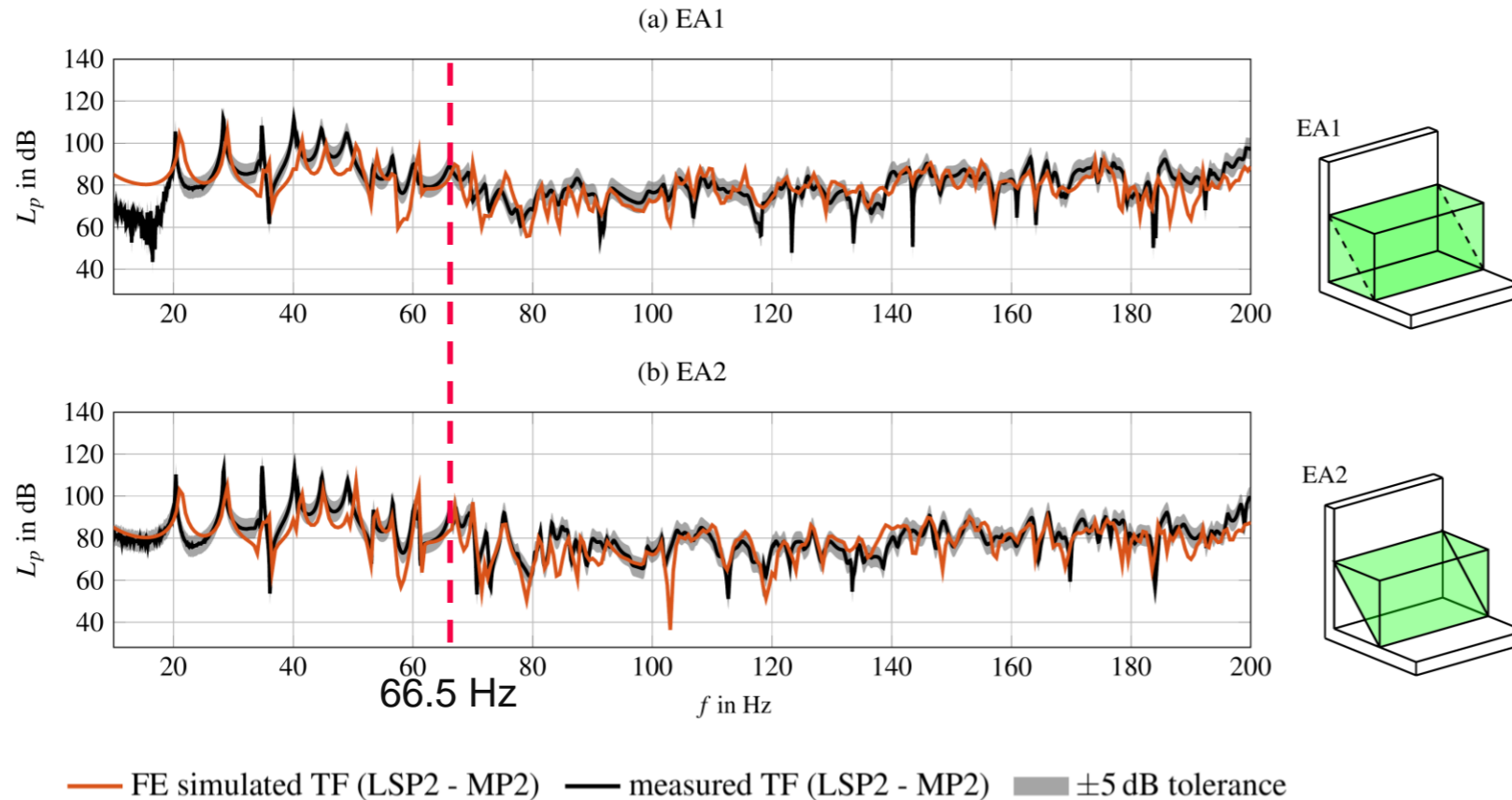
Validation with Impulse Response Measurements [5]

- Measurement: 12 impulse responses
 - 6 microphone positions (MP1 – MP6)
 - 2 loudspeaker positions (LSP1, LSP2)
 - → for each EA configuration
 - Equalization with inverse of loudspeaker frequency response
 - Level correction (median alignment)
- FE Simulation:
 - Source position at LSP1/LSP2
 - Evaluation points at the microphone positions
 - Amplitude normalisation of transfer functions



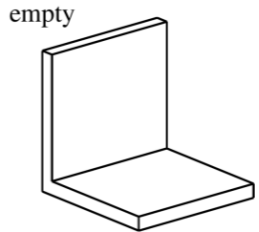
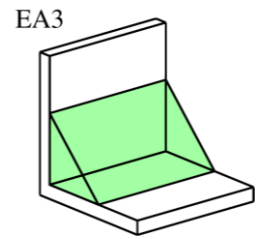
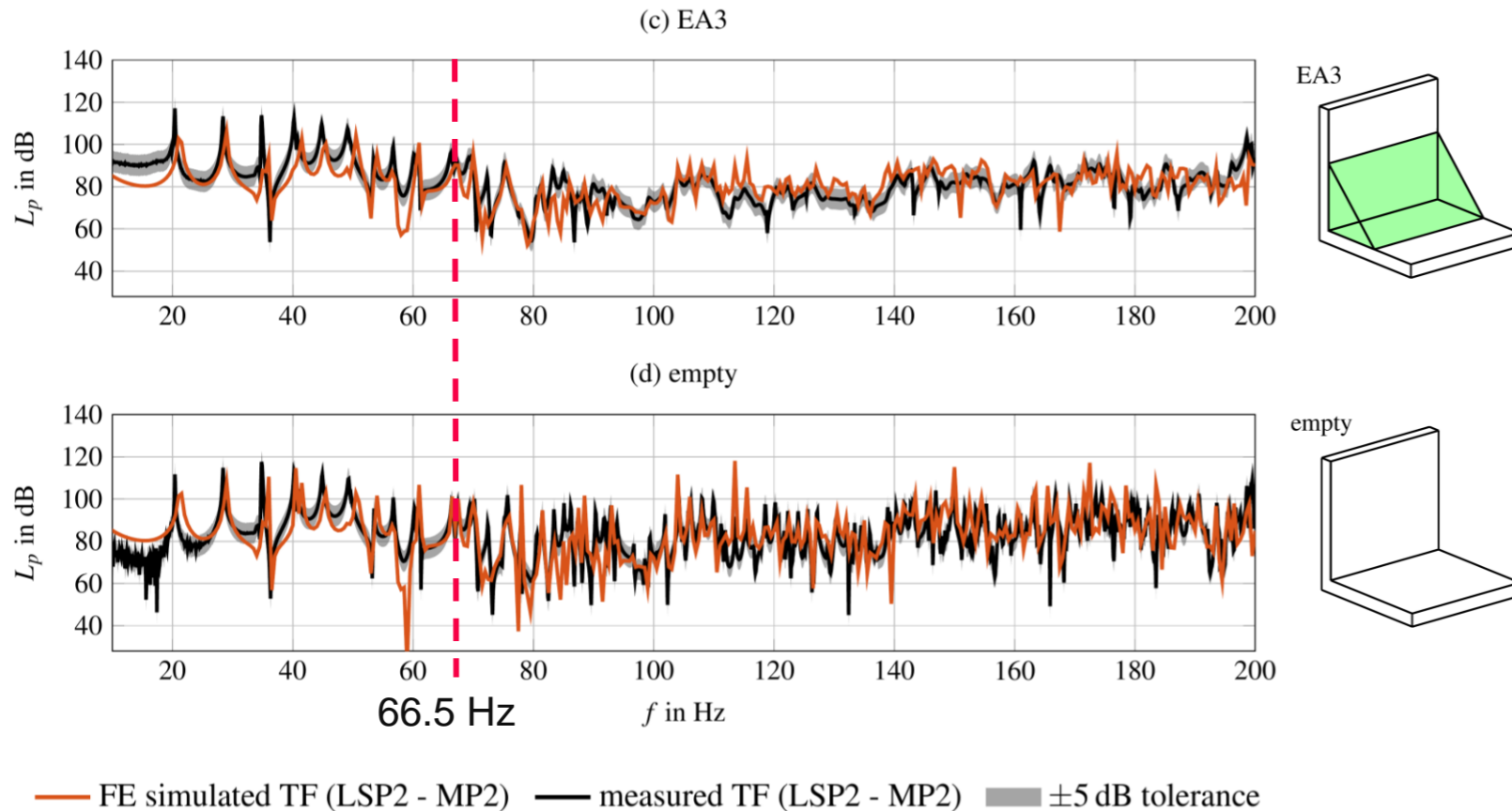
[5] F. Kraxberger, E. Kurz, W. Weselak, G. Kubin, M. Kaltenbacher, and S. Schoder. „A validated finite element model for room acoustic treatments with edge absorbers“. In: *Acta Acustica* 7 (2023) 48

Validation with Impulse Response Measurements [5]



[5] F. Kraxberger, E. Kurz, W. Weselak, G. Kubin, M. Kaltenbacher, and S. Schoder. „A validated finite element model for room acoustic treatments with edge absorbers“. In: *Acta Acustica* 7 (2023) 48

Validation with Impulse Response Measurements [5]



| EA Config. | 3rd-Oct.-Avg.-Error [5] |
|------------|-------------------------|
| EA1 | 3.44 dB |
| EA1 | 3.55 dB |
| EA3 | 4.11 dB |
| Empty | 3.25 dB |

[5] F. Kraxberger, E. Kurz, W. Weselak, G. Kubin, M. Kaltenbacher, and S. Schoder. „A validated finite element model for room acoustic treatments with edge absorbers“. In: *Acta Acustica 7* (2023) 48

Conclusion

- FE model for different EA configurations in a reverberation chamber
- 3rd-Octave-band average error between 3.25 dB (empty) and 4.11 dB (EA3)
- EA distorts the modal field
- Wave propagation is dampened significantly in the absorber
- Validation shows good agreement between simulation and measurement
 - Reasons for minor deviations at low frequencies:
 - Influence of door
 - Concrete walls not purely sound hard for very low frequencies
- **Journal paper [5]**

[5] F. Kraxberger, E. Kurz, W. Weselak, G. Kubin, M. Kaltenbacher, and S. Schoder. „A validated finite element model for room acoustic treatments with edge absorbers“. In: *Acta Acustica* 7 (2023) 48

Thank you!

Questions?

Bibliography

- [1] H.V. Fuchs et al.: Covered broadband absorbers improving functional acoustics in communication rooms, *Applied Acoustics* 74.1 (2013), pp. 18–27
- [2] E. Kurz et al.: Systematische Untersuchungen zur Funktionsweise des Kantenabsorbers als “Modenbremse”, *Elektrotech. Inf.* 138(3):162–170 (2021)
- [3] M. Kaltenbacher and S. Floss. “Nonconforming Finite Elements Based on Nitsche-Type Mortaring for Inhomogeneous Wave Equation”. In: *Journal of Theoretical and Computational Acoustics* 26.03 (2018), p. 1850028
- [4] S. Floss, F. Czwielong, M. Kaltenbacher, and S. Becker. “Design of an in-duct micro-perforated panel absorber for axial fan noise attenuation”. In: *Acta Acustica* 5 (2021) 24
- [5] F. Kraxberger, E. Kurz, W. Weselak, G. Kubin, M. Kaltenbacher, and S. Schoder. „A validated finite element model for room acoustic treatments with edge absorbers“. In: *Acta Acustica* 7 (2023) 48